Abstract

This document describes the mechanism of OLIA, the "Opportunistic Linked Increases Algorithm". OLIA is a congestion control algorithm for MPTCP. The current congestion control algorithm of MPTCP, LIA [4], forces a tradeoff between optimal congestion balancing and responsiveness. OLIA's design departs from this tradeoff and provide these properties simultaneously. Hence, it solves the identified performance problems with LIA while retaining non-flappiness and responsiveness behavior of LIA, as shown by different studies [5, 6, 7, 8]. OLIA is now part of the UCLouvain's MPTCP implementation [9].
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1 Introduction

The current MPTCP implementation uses a congestion control algorithm called LIA, the "Linked-Increases" algorithm [4]. The design of LIA forces a tradeoff between optimal congestion balancing and responsiveness. Hence, to provide good responsiveness, LIA's current implementation must depart from optimal congestion balancing. This leads to important performance issues (refer to [5] and [6]): (i) in some scenarios upgrading TCP users to MPTCP results in a significant drop in the aggregate throughput in the network without any benefit for anybody; and (ii) MPTCP users can be excessively aggressive toward TCP users.

In this draft, we introduce OLIA, the "opportunistic linked increases algorithm", as an alternative to LIA. Contrary to LIA, OLIA's design is not based on a trade-off between responsiveness and optimal congestion balancing; it can provide both simultaneously [5].

Similarly to LIA, OLIA couples the additive increases and uses unmodified TCP behavior in the case of a loss. The difference between LIA and OLIA is in the increase part. OLIA's increase part, Equation (1), has two terms:

- The first term is an adaptation of the increase term of Kelly and Voice's algorithm [10]. This term is essential to provide optimal resource pooling.

- The second term guarantees responsiveness and non-flappiness of OLIA. By measuring the number of transmitted bytes since the last loss, it reacts to events within the current window and adapts to changes faster than the first term.

By adapting the window increases as a function of RTTs, OLIA also compensates for different RTTs. As OLIA is rooted on the optimal algorithm of [10], it provides fairness and optimal congestion balancing. Because of the second term, it is responsive and non-flappy.

OLIA is implemented in the Linux kernel and is now a part of UCLouvain's MPTCP implementation. In [5], we study the performance of MPTCP with OLIA over a testbed, by simulations and by theoretical analysis. We prove theoretically that OLIA is Pareto-optimal and that it satisfies the design goals of MPTCP described in [4]. Hence, it can provide optimal congestion balancing and fairness in the network. Our measurements and simulations indicate that MPTCP with OLIA is as responsive and non-flappy as MPTCP with LIA and that it solves the identified problems with LIA. Recent studies show that MPTCP with OLIA always outperforms MPTCP with LIA and is very responsive to the
changes in the environment [7, 8].

The rest of the document provides a description of OLIA. For an analysis of its performance, we refer to [5, 7, 8].

1.1 Requirements Language

The key words "MUST", "MUST NOT", "REQUIRED", "SHALL", "SHALL NOT", "SHOULD", "SHOULD NOT", "RECOMMENDED", "MAY", and "OPTIONAL" in this document are to be interpreted as described in RFC 2119 [1].

1.2 Terminology

Regular TCP: The standard version of TCP that operates between a single pair of IP addresses and ports [2].

Multipath TCP: A modified version of the regular TCP that allows a user to spread its traffic across multiple paths.

MPTCP: The proposal for multipath TCP specified in [3].

LIA: The Linked-Increases Algorithm of MPTCP (the congestion control of MPTCP) [4].

OLIA: The Opportunistic Linked-Increases Algorithm for MPTCP proposed in [5].

all_paths: The set of all the paths established by the MPTCP connection.

best_paths: The set of paths in all_paths that are presumably the best paths for the MPTCP connection.

max_w_paths: The set of paths in all_paths with largest congestion windows.

collected_paths: The set of paths in all_paths that are presumably the best paths but do not have largest congestion window (i.e. the paths of best_paths that are not in max_w_paths).

w_r: The congestion windows on a path r.

rtt_r: The Round-Trip Time on a path r.

MSS_r: The Maximum Segment Size that specifies the largest amount of data can be transmitted by a TCP packet on the path r.
A MPTCP connection has access to one or more paths. Let all_paths be the set of all the paths established by the MPTCP connection and r be one of these paths.

We denote by l_{1r} the number of bytes that were successfully transmitted over path r between the last two losses seen on r, and by l_{2r} the number of bytes that are successfully transmitted over r after the last loss. We denote by l_r=max(l_{1r},l_{2r}) the smoothed estimation of number of bytes transmitted on path r between last two losses.

l_{1r} and l_{2r} can be measured by using information that is already available to a regular TCP user:

- For each ACK on r: l_{2r} <- l_{2r} + (number of bytes that are acknowledged by ACK),
- For each loss on r: l_{1r} <- l_{2r} and l_{2r} <- 0.

l_{1r} and l_{2r} are initially set to zero when the connection is established. If no losses have been observed on r until now, then l_{1r}=0 and l_{2r} is the total number of bytes transmitted on r.

Let rtt_r be the round-trip time observed on path r (e.g. the smoothed round-trip time used by regular TCP) and w_r be the congestion windows on path r. We denote by best_paths the set of paths r in all_paths that have the maximum value of l_r*l_r/rtt_r, by max_w_paths the set of paths r in all_paths with largest w_r, and by collected_paths the set of best paths that do not have maximum window size, i.e.:

- best_paths = \{ r | r = \arg \max_{p \in \text{all_paths}} (l_p*l_p/rtt_p) \}
- max_w_paths = \{ r | r = \arg \max_{p \in \text{all_paths}} (w_p) \}
- collected_paths = \{ r | r \in \text{best_paths and not in max_w_paths} \}.

where arg max is the argument of maximum, the set of points of the given argument for which the given function is maximum. arg max is applied over all paths p in all_paths.

best_paths represents the set of paths that are presumably the best paths (in term of transmission rate) for the user: 1/l_r can be considered as an estimate of byte loss probability on path r, and hence the rate that path r can provide to a TCP user can be estimated by (2*l_r)^{1/2}/rtt_r. A collected path is a path that is presumably
good but is not fully used. The set collected_paths can be empty.

Note that \( l_{1r}, l_{2r}, l_r, rtt_r, w_r, best_paths, max_w_paths \)
and collected_paths are all functions of time.
3 Opportunistic Linked-Increases Algorithm

In this section, we introduce OLIA. OLIA is a window-based congestion-control algorithm. It couples the increase of congestion windows and uses unmodified TCP behavior in the case of a loss. OLIA is an alternative for LIA, the current congestion control of MPTCP.

The algorithm only applies to the increase part of the congestion avoidance phase. The fast retransmit and fast recovery algorithms, as well as the multiplicative decrease of the congestion avoidance phase, are the same as in TCP [2]. We also use a similar slow start algorithm as in TCP, with the modification that we set the ssthresh (slow start threshold) to be 1 MSS if multiple paths are established. In the case of a single path flow, we use the same minimum ssthresh as in TCP (i.e. 2 MSS). The purpose of this modification is to avoid transmitting unnecessary traffic over congested paths when multiple paths are available to a user.

For a path $r$, we denote by $w_r$ the congestion windows on this path (also called subflow). We denote by $MSS_r$ be the maximum segment size on the path $r$. We assume that $w_r$ is maintained in bytes.

Our proposed "Opportunistic Linked-Increases Algorithm" (OLIA) must:

- For each ACK on path $r$, increase $w_r$ by

$$\frac{w_r}{\text{rtt}_r^2} \left( \frac{1}{(\text{SUM}_{p \in \text{all}\_paths} \left( \frac{w_p}{\text{rtt}_p} \right)^2)} + \frac{\alpha_r}{w_r} \right)$$

multiplied by $MSS_r \times \text{bytes}_\text{acked}$.

The summation in the denominator of the first term is over all the paths $p$ in all_paths. Recall that $w_p$ and $\text{rtt}_p$ denote the window size and the round trip time of a path $p$.

$\alpha_r$ is calculated as follows:

- If $r$ is in $\text{collected}\_\text{paths}$, then

$$\alpha_r = \frac{1}{|\text{collected}\_\text{paths}|}$$

- If $r$ is in $\text{max}\_\text{w}\_\text{paths}$ and if $\text{collected}\_\text{paths}$ is not empty, then

$$\alpha_r = -\frac{1}{|\text{max}\_\text{w}\_\text{paths}|}$$
\[ \text{Otherwise, } \alpha_r = 0. \]

\(|\text{collected_paths}| \) and \(|\text{max_w_paths}|\) are the number of paths in \(\text{collected_paths}\) and in \(\text{max_w_paths}\). Note that the sum of all \(\alpha_r\) is equal to 0.

The first term in (1) is an adaptation of Kelly and Voice's increase term \([10]\) and provides the optimal resource pooling (Kelly and Voice's algorithm is based on scalable TCP; the first term in (1) is a TCP compatible version of their algorithm that compensates also for different RTTs). The second term, with \(\alpha_r\), guarantees responsiveness and non-flappiness of our algorithm.

By definition of \(\alpha_r\), if all the best paths have the largest window size, then \(\alpha_r = 0\) for any \(r\). This is because we already use the capacity available to the user by using all the best path.

If there is any best path with a small window size, i.e. if \(\text{collected_paths}\) is not empty, then \(\alpha_r\) is positive for all \(r\) in \(\text{collected_paths}\) and negative for all \(r\) in \(\text{max_w_paths}\). Hence, our algorithm increases windows faster on the paths that are presumably best but that have small windows. The increase will be slower on the paths with maximum windows. In this case, OLIA re-forwards traffic from fully used paths (i.e. paths in \(\text{max_w_paths}\)) to paths that have free capacity available to the users (i.e. paths in \(\text{collected_paths}\)).

In \([4]\), three goals have been proposed for the design of a practical multipath congestion control algorithm: (1) Improve throughput: a multipath TCP user should perform at least as well as a TCP user that uses the best path available to it. (2) Do no harm: a multipath TCP user should never take up more capacity from any of its paths than a TCP user. And (3) balance congestion: a multipath TCP algorithm should balance congestion in the network, subject to meeting the first two goals.

Our theoretical results in \([5]\) show that OLIA fully satisfies these three goals. LIA, however, fails to fully satisfy the goal (3) as discussed in \([5]\) and \([6]\). Moreover, in \([5]\), we show through measurements and by simulation that our algorithm is as responsive and non-flappy as LIA and that it can solve the identified problems with LIA. In \([7]\), Chen et al. study how MPTCP with LIA and OLIA performs in the wild with a common wireless environment, namely using both WiFi and Cellular simultaneously. Their results show that MPTCP with OLIA is very responsive to the changes in the environment and always outperforms MPTCP with LIA. Furthermore, using Experimental Design, Paasch et al. \([8]\) show that MPTCP with OLIA satisfy the design goal of MPTCP in a very wide range of scenarios and always outperform MPTCP with LIA.
4 Practical considerations

Calculation of alpha requires performing costly floating point operation whenever an ACK received over path r. In practice, however, we can integrate calculation of alpha and Equation (1) together. Our algorithm can be therefore simplified as the following.

For each ACK on the path r:

- If r is in collected_paths, increase \( w_r \) by

\[
\frac{w_r}{\text{rtt}_r^2} \cdot \frac{1}{(\sum_p (w_p/\text{rtt}_p)^2)^2} \cdot w_r \cdot \text{number of paths} \cdot |\text{collected_paths}| \cdot \text{MSS}_r \cdot \text{bytes_acked}.
\]

multiplied by MSS_r * bytes_acked.

- If r is in max_w_paths and if collected_paths is not empty, increase \( w_r \) by

\[
\frac{w_r}{\text{rtt}_r^2} \cdot \frac{1}{(\sum_p (w_p/\text{rtt}_p)^2)^2} \cdot w_r \cdot \text{number of paths} \cdot |\text{max_w_paths}| \cdot \text{MSS}_r \cdot \text{bytes_acked}.
\]

multiplied by MSS_r * bytes_acked.

- Otherwise, increase \( w_r \) by

\[
\frac{(w_r/\text{rtt}_r^2)}{(\sum_p (w_p/\text{rtt}_p)^2)^2} \cdot \text{MSS}_r \cdot \text{bytes_acked}.
\]

The summation in the dominator of the first term of equations (2), (3), and (4) is over the path p in all_paths. To compute the increase, we only need to determine the sets collected_paths and max_w_paths when an ACK is received on the path r. We can further simplify the algorithm by updating the sets collected_paths and max_w_paths only once per round-trip time or whenever there is a drop on the path.

We can see from above that in some cases (i.e., when r is max_w_paths and collected_paths is not empty) the increase could be negative. This is a property of our algorithm as in this case OLIA re-forwards traffic from paths in max_w_paths to paths in collected_paths. It is easy to show that using our algorithm, \( w_r \geq 1 \) for any path \( r \).
5 Discussion

Our results in [5] show that the identified problems with current MPTCP implementation are not due to the nature of a window-based multipath protocol, but rather to the design of LIA. OLIA shows that it is possible to build an alternative to LIA that mitigates these problems and that is as responsive and non-flappy as LIA.

Our proposed algorithm can provide similar resource pooling as Kelly and Voice's algorithm [10] and fully satisfies the design goals of MPTCP described in [4]. Hence, it can provide optimal congestion balancing and fairness in the network [5]. Moreover, it is as responsive and non-flappy as LIA and outperforms LIA in realistic scenarios such as wireless networks (refer to [5, 7, 8]).

We therefore believe that mptcp working group should revisit the congestion control part of MPTCP and that an alternative algorithm, such as OLIA, should be considered.
6 References

6.1 Normative References


6.2 Informative References


Authors' Addresses

Ramin Khalili
T-Labs/TU-Berlin
TEL 18, Ernst-Reuter-Platz 7
10587 Berlin
Germany
Phone: +49 30 8353 58276
EMail: ramin@net.t-labs.tu-berlin.de

Nicolas Gast
EPFL IC ISC LCA2
Station 14
CH-1015 Lausanne
Switzerland
Phone: +41 21 693 1254
EMail: nicolas.gast@epfl.ch

Miroslav Popovic
EPFL IC ISC LCA2
Station 14
CH-1015 Lausanne
Switzerland
Phone: +41 21 693 6466
EMail: miroslav.popovic@epfl.ch

Jean-Yves Le Boudec
EPFL IC ISC LCA2
Station 14
CH-1015 Lausanne
Switzerland
Phone: +41 21 693 6631
EMail: jean-yves.leboudec@epfl.ch